

$$8(8+5m) = 4(m-2)$$

$$64 + 40m = 4m - 8$$

$$-4m \quad -4m$$

$$36m = 36 * m$$

$$64 + 36m = -8$$

$$-64 \quad -64$$

$$\frac{36m}{36} = \frac{-72}{36}$$

$$m = -2$$

$$1.) \quad 3 + 5(5-3b) = -5 + 3(4b+2)$$

$$3 + 25 - 15b = -5 + 12b + 6$$

$$28 - 15b = 12b + 1$$

$$+15b \quad +15b$$

$$28 = 27b + 1$$

$$-1 \quad -1$$

$$27 = 27b$$

$$\frac{27}{27} \quad \frac{27}{27}$$

$$1 = b$$

$$2.) \quad -8a + 7(a-5) = -3(7-2a)$$

$$-8a + 7a - 35 = -21 + 6a$$

$$-a - 35 = -21 + 6a$$

$$+a \quad +a$$

$$-35 = -21 + 7a$$

$$+21 \quad +21$$

$$-14 = 7a$$

$$\frac{-14}{7} \quad \frac{7}{7}$$

$$-2 = a$$

A train leaves the station traveling 60 mi/h.

Nate, on a big wheel tricycle, leaves the same station traveling 80 mi/h one hour later.

How long until Nate and his big wheel crashes into the train?

<u>Train</u>		<u>Nate Big Wheel</u>
$D_T = RT$		$D_N = R(T-1)$
$D = 60T$	$D_T = D_N$	
	$60T = 80(T-1)$	

Relative Rate

$$\text{Relative Rate} = 80 \text{ mi/hr} - 60 \text{ mi/h} = 20 \text{ mi/h}$$

$$\text{Head start} = 1 \text{ hr} * 60 \text{ mi/h} = 60 \text{ mi}$$

$$\frac{\text{Head start distance}}{\text{relative rate}} = \frac{60 \text{ mi}}{20 \text{ mi/h}} = \boxed{3 \text{ hours}}$$

Wicker laundry basket
obj #1 travels at $\frac{600 \text{ mi/hr}}{\text{mi/hr}}$.

bipedal, blind, arthritic fish
obj #2 traveling at $\frac{800 \text{ mi/hr}}{\text{mi/hr}}$

Leaves after $\frac{4 \text{ hours}}{\text{hr}}$. How long until boom boom?

Head start: $600 \text{ mi/hr} \times 4 = 2400 \text{ mi}$

Relative Rate: $800 \text{ mi/hr} - 600 \text{ mi/hr} = 200 \text{ mi/hr}$

$\frac{\text{Head start}}{\text{relative rate}} = \frac{2400 \text{ mi}}{200 \text{ mi/hr}} = \boxed{12 \text{ hrs}}$

Half eaten Boston creme
Pie donut
obj #1 travels $\frac{300 \text{ mi/hr east.}}{\text{mi/hr}}$

Hungry Hungry Hippos
obj #2 travels $\frac{400 \text{ mi/hr west.}}{\text{mi/hr}}$

If they leave at the same time, how long until they are 3,500 miles apart? Relative Rate: $300 + 400 = 700 \text{ mi/hr}$

$$\frac{3,500 \text{ mi}}{700 \text{ mi/hr}} \boxed{5 \text{ hrs}}$$