



1.) $2x + 3y < 12$ ← dashed

$y > \frac{1}{2}x - 3$

$x=0$

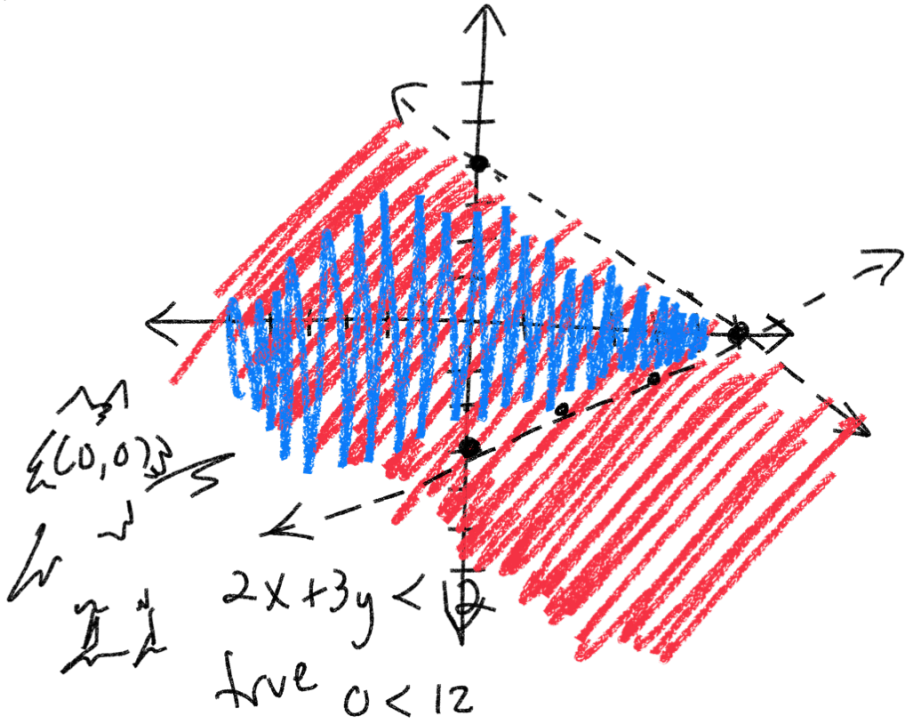
~~$2x$~~ + $3y < 12$

$y = 4$ (0, 4)

$y=0$

$2x +$ ~~$3y$~~ < 12

$x = 6$ (6, 0)

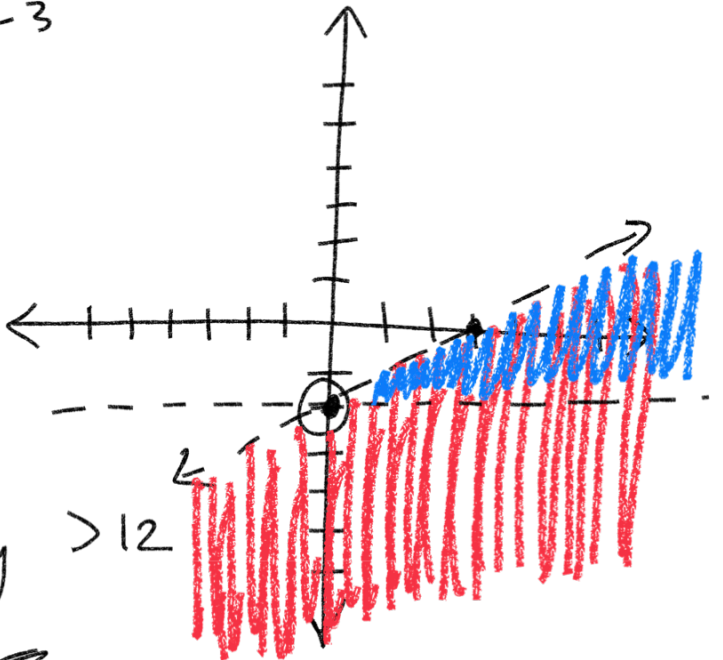


$y > \frac{1}{2}x - 3$
 $0 > \frac{1}{2}(0) - 3$
 $0 > -3$

$4x - 6y > 12$

$y > -2$

$0 > -2$



$4x - 6y > 12$
 ~~$4x$~~ ~~$-6y$~~ > 12

~~$4x$~~ - $6y > 12$

$\frac{-6y}{-6} > \frac{-4x + 12}{-6} \frac{-6}{-6}$

$4x$ ~~$-6y$~~ > 12

$4x - 6y > 12$
 false $0 > 12$

$y < \frac{2}{3}x - 2$

Restrictions

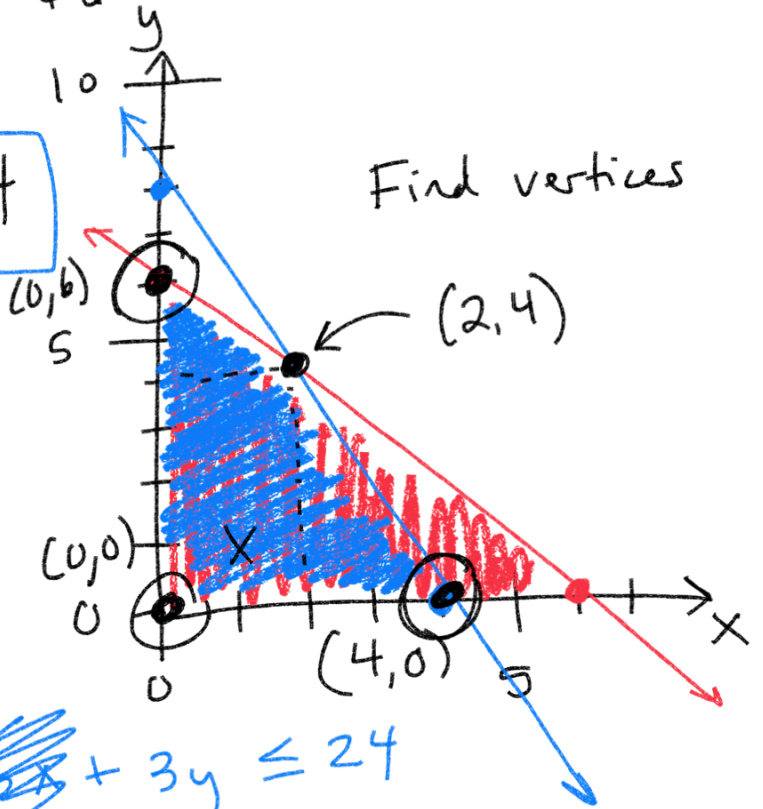
Brownies: x
\$6

Cookies: y
\$3

$$x + y \leq 6$$
$$6x + 3y \leq 24$$

Quadrant I

$$x \geq 0$$
$$y \geq 0$$



$$x + y \leq 6$$
$$x + y \leq 6$$

$(0,0)$ $0 + 0 \leq 6$
 $0 \leq 6$ true!

$$6x + 3y \leq 24$$
$$6x + 3y \leq 24$$

$$6(0) + 3(0) \leq 24$$
$$0 \leq 24$$
 true!

$$\$8x + \$9y = P$$

Maximum Profit!

$$(0,6) \quad \$8(0) + \$9(6) = \$54$$
$$(4,0) \quad \$8(4) + \$9(0) = \$32$$
$$(0,0) \quad \$8(0) + \$9(0) = \$0$$
$$(2,4) \quad \$8(2) + \$9(4) = \$52$$
$$16 + 36 = \$52$$

Candidates are vertices!

$$(0,6) = \$54$$