

M-A1 Algebra 1 Week 11 11/28

$$8(8 + 5m) = 4(m - 2)$$

$$64 + 40m = 4m - 8$$

$$\begin{array}{r} \downarrow \\ 64 + 36m = -8 \\ -64 \qquad -64 \end{array}$$

$$\frac{36m}{36} = \frac{-72}{36}$$

$$\boxed{m = -2}$$

$$1.) 3 + 5(5 - 3b) = -5 + 3(4b + 2)$$

$$\boxed{3} + \boxed{25} - 15b = \boxed{-5} + 12b + \boxed{6}$$

$$\begin{array}{r} 28 - 15b = 12b + 1 \\ -12b \quad -12b \end{array}$$

$$\begin{array}{r} 28 - 27b = 1 \\ -28 \qquad -28 \end{array}$$

$$\begin{array}{r} -27b = -27 \\ \underline{-27} \quad \underline{-27} \end{array}$$

$$\boxed{b = 1}$$

$$2.) -8a + 7(a - 5) = -3(7 - 2a)$$

$$\underbrace{-8a + 7a} - 35 = -21 + 6a$$

$$\begin{array}{r} -a - 35 = -21 + 6a \\ -6a \qquad -6a \end{array}$$

$$\begin{array}{r} -7a - 35 = -21 \\ +35 \quad +35 \end{array}$$

$$\begin{array}{r} -7a = 14 \\ \underline{-7} \quad \underline{-7} \end{array}$$

$$\boxed{a = -2}$$

A train leaves the station traveling  $60 \text{ mi/h}$ .

Nate, on a big wheel tricycle, leaves the same station traveling  $80 \text{ mi/h}$  one hour later.

How long until Nate and his big wheel catches the train?

$$D_T = D_N$$

$$D = RT$$

distance = rate \* time

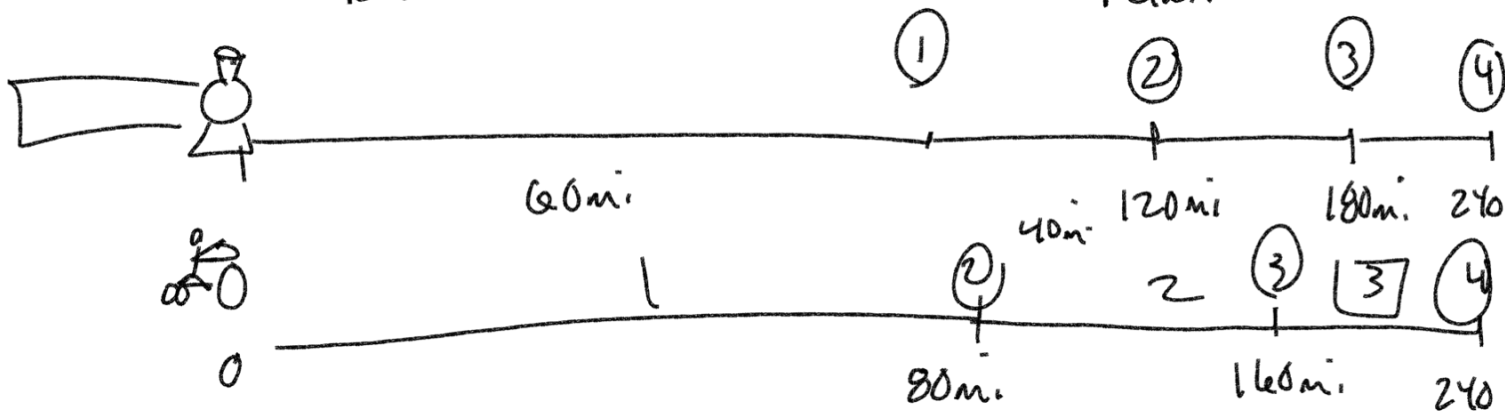
$$60t = 80(t-1)$$

Relative Rate

Head start \* speed = distance  
 $1 \text{ hr} * 60 \text{ mi/h} = 60 \text{ miles}$

Relative rate = Fast - slow

$$\frac{\text{head start}}{\text{relative rate}} = \frac{60}{20} = 3$$



Grilled cheese sandwich travels at  $\frac{50 \text{ mi/hr}}{\text{rate of speed}}$   
object #1

(Lactose-intolerant)  
Hungry Hungry Hippo

traveling at  $\frac{500 \text{ mi/hr}}{\text{rate of speed}}$

leaves after  $\frac{40 \text{ hours}}{\text{hours}}$ . How long until

they crash?

Head start distance:

$$50 \text{ mi/hr} * 40 \text{ hrs} = 2000 \text{ mile}$$

Relative Rate  $500 - 50 = 450 \text{ mi/hr}$   $\frac{2000}{450} = \boxed{4.\bar{4} \text{ hrs}}$

$$50t = 500(t - 40)$$

Roided  
Brown cmw travels  $\frac{80 \text{ mi/hr}}{ros}$  east while.

Fermit the  
Krog obj #2 travels  $\frac{240 \text{ mi/hr}}{ros}$  west. If

they leave at the same time, how long  
until they are  $\frac{1600 \text{ miles}}{\text{miles}}$  apart?

Relative rate:  $80 + 240 = 320 \text{ mi/hr}$

opp directions  $\oplus$   $\frac{1600 \text{ miles}}{320 \text{ mi/hr}} = \boxed{5 \text{ hours}}$

same direction  $\ominus$